

Modell	Formula		Description
Inverse Power	$a_{IP}D^{-b_{IP}}$	$a_{IP}$	shape parameter
(IP)		$b_{IP}$	
<b>Bullock and Clarke (2000)</b>			
Negative Exponential	$a_{NE}b_{NE} \exp(-b_{NE}D)$	$a_{NE}$	
(NE)		$b_{NE}$	
<b>Clark et al. (1999)</b>			
Normal	$a_{NM} \frac{1}{\sigma_{NM}\sqrt{2\pi}} \exp\left(-\frac{(D-\mu_{NM})^2}{\sigma_{NM}^2}\right)$	$a_{NM}$	
(NM)		$\mu_{NM}$	
		$\sigma_{NM}$	
LogNormal	$a_{LNM} \frac{1}{\sigma_{LNM}\sqrt{2\pi}D} \exp\left(-\frac{(\log(D)-\mu_{LNM})^2}{2\sigma_{LNM}^2}\right)$	$a_{LNM}$	
(LNM)		$\mu_{LNM}$	
		$\sigma_{LNM}$	
Weibull	$a_{WB} \frac{\gamma_{WB}}{\alpha_{WB}} \left(\frac{D}{\alpha_{WB}}\right)^{\gamma_{WB}-1} \exp\left(-\left(\frac{D}{\alpha_{WB}}\right)^{\gamma_{WB}}\right)$	$a_{WB}$	
(WB)		$\alpha_{WB}$	
		$\gamma_{WB}$	
2DT	$a_{2DT} \frac{p_{2DT}}{\pi u_{2DT} \left(1 + \frac{D^2}{u_{2DT}^2}\right)^{p_{2DT}+1}}$	$a_{2DT}$	
(2DT)		$p_{2DT}$	
<b>Clark et al. (1999)</b>		$u_{2DT}$	
Mixed Modell	$a_{IP} \left( IP + p_{NE} IP_{NE} \cdot NE \right)$	$a_{IP\_NE}$	
(IP_NE)		$IP_{IP\_NE} b$	
<b>Bullock and Clarke (2000)</b>		$p_{NE} IP_{NE}$	
		$NE_{IP\_NE} b$	
Mixed Distribution	$a_{WB\_NE} \left( p_{WB\_NE} \cdot WB + (1 - p_{WB\_NE}) NE \right)$	$a_{WB\_NE}$	
(WB_NE)		$p_{WB\_NE}$	
<b>Higgins et al. (2003)</b>		$WB_{WB\_NE} \alpha$	
		$WB_{WB\_NE} \gamma$	
		$NE_{WB\_NE} b$	